AN EXPERIMENTAL INVESTIGATION OF MEAT TRANSFER AND PRESSURE DOOR IN PARALLEL BOD ANNAYS

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e. Ratyananayan

Popertuent of Mochanical Engineering MDIAN INSTITUTE OF TEQUESCOTY, KANFUR

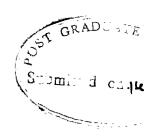
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CERTIFICATE

This is to certify that this work has been carried out under my supervision and has not been submitted elsewhere for a degree.

Professor and Boad

Department of Mochanical Engg.

POST GRADUATE OFFIC This thesis has been approved for the award of the Degree o Master of Technology (M.Te in accordance with the regulations of the Indian Institute of Technology Kan

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TO MY PARMITS

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AMSTRACT

Experimental investigations on axial flow heat transfer, temper rature distribution and pressure drop were carried out in elecely packed, 19 red delta arrays at pitch to dismeter ratios of 1.1 and 1.2. Air was the cooling medium. The test reds were internally heated by commercial resistance heaters. Considerable variation was observed in the surface temperatures and heat transfer rates from red to red. The circumferential variation of red surface temperature was clearly discornible, though not of a high order. The effect of the finiteness of the array was clearly evident in the form of the distortion of the temperature field mear the periphery. This distortion effect was found to posetrate into the second ring of reds also. A good degree of interchannel mixing was revealed by a study of temperature plots. It was also found that both heat transfer co-efficients and friction factors lie below those for eigenlar tubes for the array with pitch to dismeter ratio of 1.1 and above those for circular tubes for the array with pitch to dismeter ratio of 1.2. Experiments could be conducted upto a Reynolds number of about 11.300.

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LIST OF ABBREVIATIONS AND STANCES

C _p	- Specific best of air, at constant pressure.
4	- Dissister of test red.
4.	- Hydraulis equivalent dismeter of channel surrounding
	an individual rod.
2	- Average film heat transfer coefficient
h.	- Prossure difference across erificemeter, inches of vator
k	- Thermal conductivity of air.
335	- Mass flow rate of air in an individual channel.
»	- Pitch of test reds
Ē	- Average heat transfer rate
t _{n,in}	- Air inlet, Mean mixed temperature.
*.x	- Not surface temperature at distance z from the begin-
-	ing of the heated portion.
	- Absolute Viscosity of air in continuise.
A	- Total heat tremsfor area of test rods.
> 2	- Grificemeter dismeter.
B	- Voltage drep seroes red bester.
ĸ	- Grifice discharge constant.
Ŕ	- Moss flow rate in the bundle as a whole.
P	- Pressure
•	- Volume rate of flow of mir

2 - Red heater resistance.

2 - Universal Cas constant.

y - Pluid velocity.

y - Total air mass flow rate.

x - Total heated length of test red.

Ma - Nusselt manher.

Pr - Promiti number.

Re - Reynelds number.

β - Diameter ratio.

Y - Specific best ratio.

f - Mass density of air.

GLAPTER I

INTRODUCTION

in shell and tube erose flow best exchangers. In the development of gas cooled reactors capable of yielding high gas temperatures, this geometry, with parallel flow, is receiving increased interest. This geometry has been suggested with a view to providing increased best transfer surface in order to compensate for reduced best transfer oc-efficients associated with gas cooling. This type of fuel configuration also loads to high conversion ratios in thermal reactors. In this case the fuel element configuration is arrived at by considerations of obtaining a large fact effect in 5.

The thermal characteristics (Seat transfer rate, temperature distribution) of this configuration are complicated and have not yet been fully understood. The complications arise from the multiplicity of boundary conditions which may be imposed. Also the aboar stress distribution in the flow is quite different from that found in ordinary daste like payallel plates and circular tubes and may give rise to heat transfer rates within the flow passage which cannot be easily predicted. The varying shape of the flow channel surrounding the individual rods causes peripheral variation in heat transfer rates and temperature distribution. 2,4,7,12,14

Especially for gaseous coelants heat transfer rates will be one to two orders of magnitude loss than that for water or liquid metals. This causes increased circumferential variation in temperature distribution and hence problems of red bowing will be magnified.

So far most of the analyses, both theoretical and experimental, here been done for the case of infinite or simulated infinite arrays. In practice elusters of 7, 19, 21, ... rods are used. The finiteness of the array is smother element of complexity which has not been studied. Nost of the analytical models assume the absence of interchannel mixing. But for finite arrays this may not be valid.

In the present investigation, an attempt has been made to study, experimentally, the following problems.

- (i) Effect of finiteness of the array on the temperature distribution.
- (ii) The extent to which boundary effects ponetrate into the array.
- (iii) To verify, qualitatively, the assumption regarding the absence of interchannel mixing.
- (iv) The effect of change in spacing of rods on best transfer rates and how these rates compare with that given by Colburn's relation for circular tubes.

(v) Determination of friction factors for different specings of the rods and their agreement with the values for turbulent flow in smooth pipes.

Assuers to above problems has been sought to be obtained by conducting experiments in a 10 red, triangular arrays with pitch to dismoter ratios of 1.1 and 1.2. The temperature fields of different rade in the array in experiments proposed to be conducted by heating different assertment of rade, are expected to three light on finiteness of the array, the extent to which the boundary effects ponetrate into the array and the assumption regarding interchannel mixing. It will also be possible to find the effect of varying pitch to dismoter ratio on heat transfer coefficients and friction factors.

CHAPTER II

A REVIEW OF PREVIOUS RELATED WORK

A. Analytical Approach:

The techniques for analytical treatment of turbulent flow heat transfer have been developed to the extent where fairly accurate predictions can be made in simple geometries. Although there are uncertainties about the basic mechanisms of turbulent flow, a fairly accurate analysis in possible from the uncrescopic point of view by using the semespt of turbulent oddy diffusivity. Sufficient experimental data is available on velocity distribution in turbulent boundary layers and in circular duets to permit calculation of the values of oddy diffusivity for measurem and oddy diffusivity for heat. These data have been successfully applied to the solution of the energy equation for simple flow geometries like parallel plates and circular tubes, but are not so easily applied for the case of more complex flow geometries.

Although the geometry of circular annulus is axisymmetric the simple extension of the analysis for annulus to this geometry ennet be easily accomplished. In contrast to the sircular tube case, the shear stress distribution in the annulus is not linear with distance from the wall, and the location of zero shear plane depends on the ratio of the inner to enter radii.

Eays and Loung made the first successful attempt to obtain analytical solution of heat transfer in the circular samplus by using velocity measurements used in annuli of various ratios of inner to enter radii. The energy equation was solved for fundamental solutions by making use of the location of the zero shear plane, the eddy diffusivity for memorium and the velocity profile sheatend from the above data.

The annulus problem leads to the conclusion that the universal turbulent velocity profile, or "the low of the well", is not applicable in all flow geometries. Hence it is necessary to have velocity measurements for each geometry of interest ever a range of geometries.

Deiseler and Taylor analysed turbulent flow in a circular annulus by assuming that the universal turbulent velocity profile helds for this geometry in the same manner as it helds for the circular geometry. This assumption is based on their argument that the velocity distribution nermal to the wall is independent of the shear stress distributions. They obtained the solution by graphically fitting the velocity profile to the flow geometry. Similarly non-dimensional temperature profile in graphically fitted to find the resulting temperature field for uniform heating. They have extended this kind of analysis to parallel red bundle. Their analysis shows the existence of considerable peripheral variations of wall temperature as well as reduced heat transfer for electr red speciage.

An analytical approach has been made by Marosea and Dever 10 to the turbulent flow by considering an individual red in a parallel red array to be analogous to the centre tube of a consentric circular sumulus. As seen in figure No. 1 the sere shear planes define a beragenal flow passage which may be replaced by a circular tube of equivalent flow area. This flow passage, bounded by the red and the sere shear plane, is assumed to be equivalent to the region between the centre tube and the sero shear of an annulus. The advantage of this model is that the velocity field in the samulus and the equivalent annulus model are identical. The main limitation is how well the equivalent circular more shear plane will represent the actual hexagonal shape - am approximation which becomes invalid as the rods are spaced closely. This and similar type of analysis made by Duyer and Tu make use of experimental velocity profiles in sirgular tubes for enlocating the eddy diffusivities.

Populie, Landberg and McCase ¹⁸ developed an analytical solution to the circular tube assalue by the technique of superposition of fundamental solutions. The energy equation is undo linear and homogeneous in temperature by making suitable simplifying assumptions and idealisations. Any linear combination of solutions will also be a solution. This allows the superposition technique to be used. The fundamental solutions are obtained either analytically or experimentally. Kays and Loung and a similar analysis for the case of turbulent flow in a circular

tube annalus. Sutherland and Kaye extended the technique to the case of an infinite parallel red array. They obtained fundamental solutions experimentally. Sutherland and Kays 14 defined their fundamental solution as the impression for the temperature on the red numbers 1, 2 or 3 (Figure 3) bounding the unit flow passage, resulting from a uniform heat flux on one of those, sere heat flux from the other two and no heat diffusion through the gape between the rods. The fundamental solutions were obtained experimentally, by measuring the wall temperatures when (say) Reds 1 and 6 were heated uniformly. Under these conditions, all the four unit flow passages A₁₃₅, A₁₃₄, A₁₃₆ and A₂₃₆ have symmetrical temperatures distributions and there assest be any energy diffusion across the boundaries.

In most analytical models it is assumed that there is no mixing across zero shear boundaries. The plane of zero shear implies no momentum exchange, but there is a finite oddy diffusivity which can transfer thermal energy to adjacent channels. In many cases, however, this may be ignored. This is justifiable in an infinite array. But in the case of arrays of 7, 19, 81 rods which are zero counsely used energy transfer between adjacent subchannels may be significant.

B. Experiments in Parallel Red Arreys:

Experimental investigations of best transfer in parallel red geometry have been reported ever the past 10 years. One of the earliest was an experimental investigation of Miller. Brynes and Benferade 11 who reported data for an infinite (simelated with dummy i.e., unbeated reds) array of reds in a delta pattern at P/d = 1.462. These tests, with water as the working fluid, covered a range of Reynelds numbers from 70,000 to 700,000 and Francti numbers from 1.10 to 2.75. Water was sirculated at a maximum rate of 20 ft/sec. The reds were left unbested and instead the water was heated. Although the test section was 4 ft. long, the heat transfer measurements were unde with a 4 inch heated length at the mid section of one red. Relatively high heat fluxes of \$0,000 to \$00,000 Bin/eq.ft./hr were obtained. They concluded from these tests that the heat transfer coefficients measured were 40 percent higher than those predicted by circular tube correlation of Colbura.

Rekert⁵ suggested the hydraulic equivalent dismeter (= 4 x flow area/ Wetted parameter) as the linear diseasies. They did not find any eigensferential variation in red surface temperature.

Pingle and Chaptain tested both delta and square patterns at pitch to dismeter ratios (p/d) of 1.12, 1.25 and

1.27 with water in a uniformly heated nine - red array. The
Prandtl number ranged from 1.18 to 1.78. It was concluded from
their experiments that the heat transfer coefficient could be
correlated adequately by Colburn's relation for circular tubes,
although the data for larger spacings tend to lie about 15
percent higher. There was no variation of wall temperature
around the periphery of the red.

In the 1961 International Heat Transfer Conference at Boulder, Colorado lot of work has been reported on parallel red geometries particularly as applied to muclear reactor fael elements. Palmer and Swamoen 18 investigated a very close syncing, p/d = 1.015, using a large scale seven - red array with demay rods at the wall to simulate am infinite array. Their tests with air severed the Boyneld's number range from 10,000 to 40,000. Thick walled aluminium tubes were used as test reds. internally heated by electrical resistance heaters. This was criticised during the discussion, since represented neither a constant temperature nor a constant best flux boundary condition. Instead of measuring circumferential temperature variation, they measured the duration in heat transfer coefficient directly, by a balancing technique. A strip of temperature controlled surface heater was fixed in the central red of the array. The local sirounforestial variation of the heat flux were determined from measurements of the electrical power measurement for

equalising the temperature of the controlled heater surface to that of the adjacent tube wall, while the central red was retated about its lengitudinal axis. From their experiments it was concluded that heat transfer rates compared favourably with those given by Celburn correlation. The peripheral variation of local heat transfer coefficient was observed to be 3 times (i.e., maximum to minimum ratio). They also found that fully developed flow conditions were established with a length of 36 equivalent dismeters at inlot.

Haffmen, Wentland and Stelman reported data on a T red cluster of P/d = 1.715. The reds were heated by passing an alternating current. Take surface temperatures were measured by means of mevable thermoscopic probes, inserted into the takes. The circumferential temperature variation was significantly less than (about 5 percent, as against 25 percent) that predicted by Deiseler and Taylor. The average heat transfer on-efficients expected that given by Colburn equation by about 20 percent. Friedland and Benilla have reported about the experiments conducted with Moreovy blowing in parallel red arrays. The results obtained by them showed that:

- the circumferential variation in temperature was of a small order.
- 2. Sufficient bulk temperature variations sould exist, resulting in the Busselt numbers warying by a faster of 4 between different tubes in the array.

3. Matrames effects were negligible after 35 equivalent diameters.

Butherland and Kays investigated red arrays for p/d = 1.0, 1.8, 1.25, with air as the scaling medium. Neasurements were made with one red heated alone, six reds in a ring heated and all reds in the array equally heated. It was found that the heat transfer ex-efficient was substantially less than that predicted for circular tube for p/d = 1.0, and sempular greater than the circular tube for p/d = 1.15 and 1.25. The surface temperature around the red was also found to vary, but the percent variation was not large.

There are some reports available on the pressure drep associated with parallel red geometries. Lefteurness, Grinble and Zerbe, Subbetin, Ushakov and Gabriansvich have conducted investigation to determine friction factor.

Lefourness, Grimble and Zerbe¹⁸ determined friction factors experimentally in a Reynolds number range of 5,000 to 100,000. They used an array of 19 Eircaley rade at y/d = 1.12. All tests were unde under isothermal conditions. It was seen that the experimental friction factors for y/d = 1.12 lie approximately below these for smooth tubes.

Sabbetin, Unbaker and Sebriansvich have investigated the hydraulic resistance for longitudinal flow of liquids through a square bundle of rods at y/d = 1.0 and 1.18. The bundle consisted of 7 rods and 12 spacers. Their experiment conducted with water lead to the following conclusions.

- 1. The experimental points for the closed packed bundle lie approximately 40 persont lower than the curves for Blasius formula. The results of the experiments for p/d = 1.13 lie 10 - 13 percent higher than these curves.
- Less marked dependence of friction factor on Reynolds number was found for p/d = 1.15 then was found for smooth round tubes.

Experimental data are ovailable upto p/d = 1.75. It can be concluded, in general, that both heat transfer co-efficient and friction factor increase with increased red spacing, that both lie above the circular tube correlation for p/d 1.10, and there can be appreciable uncertainty in the magnitude of the Funcelt number and friction factor for p/d 1.10.

Although eirounferential temperature variation does not appear to be preminent in arrays of p/d 1.18, it is of concern in more closely packed red bundles at lew Reynelds numbers.

Evidence for the absence of interchannel mixing is inconclusive.

He attempt has been made (emcepting that of Priodized et al) to study the characteristics of the bundle as a whole or

to its position in the bundle. So far, attention has been focused on a single red as the unit in the array. Next of the investigators simulate an infinite array with clusters of 7 reds, by providing damay reds along the periphery. The resulting hydrodynamic picture is definitely similar to that of an infinite array, but not when a temperature field is present. This can be justified, if, in practice always large bundles of reds are used. But this is not the case, must aften, in smaller power resolvers. Hence it is desirable to know the effects of the finiteness of the array. The present investigation is made with a view to find these effects.

The process work is a continuation of the work done by R.V.S. Moses. He conducted the experiments in a 19 red dolta array with p/d ratio of 1.1. He found that the best transfer op-officients were shout 30% lower than these given by Golburn relation for circular takes. He did not report my data shout friction factor. He also found evidence for interchancel mining.

CHAPTER III

EXPERIMENTAL SET UP

Axial flow heat transfer, temperature distribution and pressure drep studies have been ands in parallel red arrays with pitch to dismeter ratios of 1.1 and 1.2. The arrays consisted of 19 rade arranged in delta geometry. A 5 1/2 inch dismeter flow channel for y/d = 1.1 and a 6 inch dismeter flow channel for y/d = 1.2 were used. Air was the cooling medium. Next flux was generated in rade by electrical heating. A maximum Reynolds number of about 11,300 was realised.

Figure 4 shows a schountie diagram of the set up.

The test elements consisted of nimeteen, 1 inch 0.D.,

9.8 inch I.D., 30 inch long, stainless steel tubes, arranged in an
equilateral triangular array at centre to centre spacings of 1.1
and 1.2. 1/2 inch 0.D. stainless steel tubes were connected to
the unde of 1 inch 0.D. stainless steel tubes (Pigure 0) with the
use of Brace bushes. Spacing and support were provided by precision machined and plates, with 19 properly spaced 1/2 inch diameter
heles in each, to receive the free ends of the 1/2 inch 0.D. tubes.
Intermediate spacers were not included. The test element assemblice were fitted into a 5 1/2 inch 1.D. and a 6 inch I.D., V.I.

flow channels for p/d = 1.1 and p/d = 1.2 respectively. The flow channels were closed at both ends by threaded case.

Commercial beaters were used to internally best the test rods (i.e., the 1 inch 0.D. 3.3. tabee). Each beating red was 36 inches long, had a resistance of 16 ohns and a maximum capacity of 1 KV. The actual heated length was only 34 inches. The rods were controlly located and supported by the 1/2 inch 0.D. and tubes. Additional intermediate support was provided by china clay rings. The power leads were taken out through the end tubes. Different experimental conditions were simulated through the use of control switches which were so arranged that it was possible to heat any assertment of rods at a time.

A combination of three 3/4 H.P. axial flow blowers and a 5 H.P. contrifugal compressor connected in series yielded a flow rate of about 400 lbc/hr. Another contrifugal compressor of higher especity gave a flow rate of about 900 lbc/hr. Experiments could not be conducted at higher flow rates than these owing to look of proper equipment. Air entered and left the test sections through 2 inch pipes normal to the direction of flow. Allowance was made for normal entry and for entrence length requirements to achieve fully developed flow conditions, by beeping the measuring section well after 38 equivalent dissectors.

Measurement of temperature is one of the most tricky problems in such experiments. The test rods are not easily accorsible and we cannot disturb the flow by external probes. 36 gauge

Iron - constantan thermocouples with teflon shouths were used to measure the red surface temperatures. These thermocouples were embedded in furrows out longitudinally on the surface of the rods. The het impetions were at a distance of 21 inches from the inlet and of the 1 inch 8.5. tube. The junctions were placed in heles (diameter = 0.8 mm) drilled carefully at the end of the furrows (i.e. at measurement points). The junctions were then peemed into these belos using a specially designed posning tool. A coating of Aluminium amaleum in Moroury was given on these heles to ensure good beat conduction. Inspite of the greatest care and precentions, it was found that the very minute differences in the nature of the bending of the hot junctions to the red surface caused some discrepencies in the measurements. The extent of these "initial errors" was exactly determined by suspending each of these reds, vertically, in an enclosure free of drafts or thermal currents, and heating them to the test conditions. Because of the free convertion enling, all the thermoscuples should indicate the some temperature. The corrections required were calculated and later applied to test results. the thermocouple had been initially colibrated against the molting point of line and the rest were compared with it. Departures from standard calibration charts were found to be negligible.

23 therescapes were distributed on 4 test reds (Figure 8).

By properly sheesing the reds and the peripheral locations of the
thermoscopies, it was possible to get a comprehensive picture of the
entire temperature field.

The thermosople leads were taken to a cold junction, kept at 0°C by pewdered ice, and then to a set of retary collector switches. Easy and quick selection of thermocouples was accomplished by these switches. A Lords and Morthay Millivolt Petentionster was used to measure the responses.

The air flow rate was determined by interposing an orificemeter in the coolent circuit. The crifice was precision mechined and installed as per ASME Codes and standard calibration charts were used for calculating the flow rates.

The pressure drop in a distance of 18" in the test section was also measured after allowing for the flow development, using an inclined measurer, espeble of reading upto a difference of 0.01 inches of vator.

CHAPTER IV

RESULTS, DISCUSSIONS AND CONCLUSIONS

The following experiments were conducted for the array with p/d=1.1, at a flow rate of 260 lbs/hr.

Tost 1: With the central red (Red 1) alone heated.

Test 2: With the inner ring of reds (Reds 2 to 7) bested.

Test 3: With all the inner reds (Reds 1 to 7) heated.

Took 4: With the outer ring of rods (Rods 8 to 19) heated.

Took &: With all the rods heated.

Tests 6 Five tests were conducted with all the rade heated at flow

to 10 : rates of 194 lbs/hr, 850 lbs/hr, 420 lbs/hr, 655 lbs/hr and 815 lbs/hr.

The following tests were performed after changing the p/d ratio to 1.2.

Tests 11 to 18: With all the rode beated at flow rates of 182 lbs/hr, 270 lbs/hr, 470 lbs/hr, 700 lbs/hr and 945 lbs/hr.

Toots 1 and 4 were perferred with a view to get information on interchannel mixing. Fort 3 was conducted to find the effect of providing dumy rode on temperature distribution. Forts 5 to 10 were conducted to know the effect of finiteness of the red bundle. Data on best transfer or-efficients and friction factors was sought to be obtained by toots 5 to 10 and 11 to 15. The effect of increased rod spacing on heat transfer co-officients and friction factors was planned to be obtained by tests if to 15. Test 3 was conducted to get additional information, if any.

In each case the surface temperatures at various angular positions were measured for reds 1, 2, 10 and 11. Pressure drep in 18 inch of test section was also measured by means of an inclined manameter. The temperature distribution has been plotted in the form of 'contour' (Pigures 7 to 19). It is keped that this form of presentation will enable easy comprehension of the circumferential variation of temperature. The centres of the plots coincide with the centres of the carresponding rods. But the rods are not drawn to scale.

The flow rates were extended (Appendix I) using the standard calibration charts for the crificonster.

Heat transfer oc-officients were determined at different flow rates (Appendix II) corresponding to tests 7 to 10 and 11 to 15.

Friction factors were determined for various Reynolds
numbers and different p/d ratios using the procedure given in
Appendix III.

The results show that the Masselt numbers obtained for p/d ratio of 1.1 are about 20 - 20% loss than those given by the colburn equation for circular tube flow. For p/d=1.2 Masselt numbers exceed those for circular tube flow by about 5 - 10%.

This is in agreement with the pattern found by the previous investigations, i.e., for very close bundles the heat transfer rates are substantially less than those for circular tubes and for p/d 1.15 the heat transfer rates are more than those for circular tubes. This comparison can really be made only for the control red. It is difficult to define an everall Musselt number for the assembly, since an average wall temperature has hardly any reference to the present conditions.

For p/d=1.1, the friction factors determined on the basis of the hydronlie equivalent diameter were found to be about 20-30% less than these given by Blacius equation for turbulent flows in circular tables. But for p/d=1.2, the friction factors are found to be greater by 15-20% then these for circular tubes. This is in favour of the conclusions dress by previous investigators.

The following facts are revealed by a study of the temperature prefiles.

Tost 4 (Pignes 10): Outer rods hested, p/d = 1.1.

Ned 11 has a lower temperature compared to red 10. This may be due to difference in scalant contact. The thermocouples 2 and 4 on red 1 show a higher temperature them at other locations inspite of the fact that they are expected to more scalant contact. This means that the heating of the red is more due to the contact with the scalant already heated up by the peripheral reds than due to rediction from other reds. This is strong evidence for the view that interchannel mixing is not insignificant, at least in finite

arrays. The lew temperatures of reds 2 and 1 are self - explana-

Tout 2 (Figure 9): Middle ring of rods heated, p/d = 1.1.

Not 10 is cooler than red 11. This may be explained by ebserving that red 11 is in the immediate vicinity of two heated reds whereas red 10 has only one heated red adjacent to 11. Though red 1 is not heated it shows considerably high temperatures. This is because it is surrounded by six heated reds.

Took 8 (Pigers 8): All the inner reds heated, p/d = 1.1.

This test shows that when dumny rode are provided, the temperature distribution will still be distorted, unless the dumny rode themselves are bested. Not 10 is better than rod 11. This is self explanatory.

Toot 1 (Pigure 7): Bod 1 alone heated, p/d = 1.1

Red 11 has peaks on these locations expected to the air coming out of the inner channels, There it is heated up. This is in ferour of the conclusion that interchannel mixing is quite strong.

Teste 5, 7, 8, 9, and 10 (Figures 11, 13, 13, 14 and 15):
All reds boated at different flow rates, p/d = 1.1

From these tests conducted at different Reynolds numbers, it can be observed from the temperature distributions that the effect of finiteness are numifically evident. The temperature distributions

on rod 2 above that the effect of wall and peripheral channels penetrate into second ring also, to a little extent. Rod 1 exhibits the expected infinite array distribution; the magnitude variation is quite small.

Tests 11 to 15 (Figures 16 to 19): All reds heated at varying flow rates, p/d = 1.2.

The relative variation in temperature distribution among rods 1, 2, 10 and 11 seem to be quite similar to these tests conducted for p/d = 1.1. Red 2 still shows a symmetric temperature distribution thereby showing the effect of wall and peripheral channels. Red 1 again exhibits the expected infinite array temperature distribution.

Conclusions:

of finiteness of the red arrays on the temperature distribution; and yields data on friction factors in red cluster geometries. It brings into focus the strong interchannel mixing which influences the heat transfer and flow characteristics in small assemblies. The wall effects were observed to penetrate slightly into the second ring of reds. Further the Busselt numbers and friction factors lie below those given for sirenlar tube correlation for p/d = 1.1, and above for p/d = 1.2.

The problem of unequal coclent distribution which leads to increased cooling of outer rods may be remodied by the provision of dummy rods along the periphery. This solves the flow distribution problem. But still there is an imbalance in the heat flux distribution. In nuclear reactor fuel elements the available coolent capacity may be used to a maximum extent by cariching the peripheral rods ton greater extent, so that the heat flux in these rods is increased due to increased fission rate.

BERILLS ON HEAT TRANSPER CONTICIONES

2/4 - 1.1

7:	1 1 (P)				in the Stader riche	Calculated Na	Calculated In as given by Nu equation (1)
**	#	0.256	0.2878	10.0	4.78	4.8	18.3
-	8	0.386	9.3378	10.0	4.97	8.78	13.3
_	213	0.454	6.368	10.5	4.37	2.0	14.7
	170	9.664	0.000	20.3	3.60	12.00	9.4
4.	P/4 - 1.1		3	II EME	•		
	198		9.3876	13.6	#	11.00	16.8
-	•	•	0.2576	23.6	6.	10.00	18.8
_	3	0.434	0.368	22.2	# · · ·	11.80	16.5
	140	0.064	0.600	0.76	4.60	15.70	2.8

RESULTS OF MEAT TRANSPER COEFFICIENTS

P/4 = 1.1

	(c)				94m/hr.ft. •C	¥.	in the Den/hr.ft. C) No opention (1) (1bs/hr)
, •	*		0.3875	87.8	10.6	18.50	22.5
° 🙀 .	*		0.3378	#.H	10.4	18.00	#1.8
9	16	0.484	0.9690	31.4	10.1	19.30	26.18
=	8	0.664	0.4880	64.0	9.08	20.80	87.98
7/4 - 1.1	1.1	•	473	TABLE IV		•	No - 10,800
	8 .0	0.186	0.8976	27.0	10.0	19.2	
•4	90.0	0.30	0.3375	87.0	10.0	19.8	8.8
2	0.18	****	0.3580	**	10.6	#**	8 .0
7	77.5	0.0		9.5	•••		4.8

HENRICS ON HEAT TRANSPER CORPFICIENTS

TABLE Y

1/44.2							NOT BEEN
1	Men Not Berfes Yes St x = 10° (cc)	(() () () () () () () () () (# 1 1 4 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1		and flow K Starfar ft. oc. No. 1846 Starfar ft. oc. No. 1846 N	Calemiated No.	No as gives by equation (1)
#	#	0.488	9.50		***	12.00	10.6
et	#	0.688			3.30	12.10	10.6
2	188	0.716	9.866	14.4	3.14	10.01	
11	188	0.944	0.908	19.0	3.15	16.00	15.0
7/6-4.8			Table VI	ド			2
-	##	97.0	0.588	16.8	0.35	18.03	17.00
91	114		0.808	1.6.1	6.15	19.90	17.00
2	3	0.716	90.00		6.14	19.91	17.38
#	107.5	9.94	900.0	20.2	4.73	22.32	22.00

*	**	MESULTS OF	I REAT TRAI	MENTER ON MEAT TRANSPER CORPTICIENTS	CIENTS		No = 9150
3.		Ar. are arrended (see f.)	****	is the first control of the fi	E Ben/ke.et.	Calemiated	as flow E Calealated Na as gives by a the State of State of State (1) sense
**	£	0.488	0.88	9.8	8.90	87.4	8.8
•	F	0.468	0.80	***	8.8	0.77	e: **
•	2	0.718	0.256	46.7	8.96	#	24.48
*	#	9.944	9.9	8.3		42.68	31.10
			INE VIII	III			
*	41						No = 11,306
-	8.3	997.0	0.08	8.0	10.8	2.2	8.8
**	*	0.465		0.0	19.64	31.75	30.00
.	#T.0	0.718	9-164	6.0	11.3	8.0	90.00
4	27.0	0.944	906.0	2.2	10.2	49.8	43.60
				-		The state of the s	

MESULES ON PRICTICE PACTOR

3
*
₹

Payao lés Malest	Presents Drep in 10* of test motion (inches of mater)	Priotice factor calca- lated by equation No. (8)	test section Frietien factor calca- Frietien factor for eq. test section lated by equation circular tube estemlated school by Blasius eqn. represented by (6)
878	6.150	0.0071	0.00948
0000	6.3 00	0.0068	8*0088
988	8.710	0.0058	0.00741
10500	0.900	7800.0	0.00101
P/4 = 1.2	77874		
9000	98.0	0.0125	0.6186
*	6.48	0.0190	0.0081
#10	1.10	0.000	0.0078
11,800	1.8	0.4088	0.0076

HAT THE COS

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APPENDII I

CALCULATION OF AIR PLOW RATE USING ORIFICEMETER

Date for Orificemeter 1:

Orifice dismeter: D. - 1.4 inch.

Diameter ratio : $\beta = 0.7$

Data for Orificemeter 2:

Orifice diameter: $D_{\mathbf{p}} = 2.72$ inch.

Diameter ratio : $\beta = 0.68$

Air inlet temperature, t₄ = 87°C

Proportion of Air at inlet temperature:

Y = 1.4, S = 0.072 lbs/eft.

The equation for flow rate used here and derived in reference (21) is :

$$W = 360.1 (D_2)^2 K / \sqrt{1 h_y}$$
 (2)

Where.

W . flow rate in lbs/kr.

D. - Orifice dismeter in inches

K . The Grifice discharge constant

fi - Beauty of air at inlet in lbe/eft

 h_w . Presence difference in inches of vater for a given h_w , the only unknown is the discharge constant K. So Y is in terms of K.

Using this W, the Reynolds number for flow through the Orifice is determined, in terms of K

Where I is the absolute viscosity of the fluid, in continuous at flow temperature and pressure.

This gives a Reynolds number of flow in terms of K. We got the following two equations involving K:

$$W = H_1 K \qquad (36)$$

and
$$Be = H_{\underline{a}} X$$
 (3b)

A rough estimate of E is them made, and an approximate value of Reynolds number is determined using Equation (2a). By continued reference to the tabulated discharge coefficients for the given pipe size and disceter ratio, E is them corrected to the desired accuracy by successive approximations. The actual flow rate is then computed by substituting this value in Equation (2).

Two Orificemeters were used to determine the flow rates.

One of them was an integral part of the contribugal compressor yielding higher flow rates. Another Orificemeter was necessary for determining the flow rate when blower assembly was used.

APPRODIX II

CALCULATION OF PILM HEAT TRANSPER COMPYTCHEMES

Since the heater pertian is only 2 feet long, heat transfer area = $\frac{1}{12}$ x 2 = 0.534 sq. ft.

.. Best Transfer rate per unit area - 646.0 Bts/hr/sq. ft.

q (Average best transfer rate, Bts/kr) - k A T

$$\triangle T = s_{0,X} - (s_{0,in} - \frac{x}{x} \cdot \frac{\overline{c}_{in}}{s_i \cdot C_{in}})_i$$

t ... is red surface temperature at distance

z from the beginning of the heater portion.

X is total boated length

 t_{m^*im} is mixed mean inlet temperature.

m is mass flow in the ourreunding channel

 $\mathbf{C}_{\mathbf{n}}$ is specific heat of air at inlet temperature

Therefore the everage film heat transfer coefficient $\overline{\lambda}$ is defined as:

$$\frac{1}{1} = \frac{\frac{\pi}{1}}{A \left(\hat{a}_{s,x} - \frac{\pi}{1} \frac{\hat{q}_{s,x} - \hat{a}_{s,x}}{\pi \cdot \hat{c}_{s}} \right)}$$
 (4)

and the Musselt Medalus

d, is the hydroclic equivalent dismeter of the surrounding channel.

The area and hydroulis equivalent diameter of surrounding channels are calculated taking dividing lines equidistant from hearest bounding walls. The mass flow in each channel is computed on a proportionate basis.

Such calculations were made for tests 7 to 10 and 11 to 15. The results have been tabulated in Tables I to VIII,

APPROIX III

BETERMINATION OF PRICTION PACTOR

Pressure drop between two sections located at 12 inch and 30 inch from the inlet has been measured. Let the sections be denoted by 1 and 2 respectively. Since there is considerable rise in temperature of the fluid between these two meetions, the flow cannot be considered to be inethernal. The pressure drop in the case of non-isothernal flow of a gas through a red bandle is approximately given by the flooring empression (Ref. No. 20).

$$\Delta P = \frac{(PY)^2}{\int_{0}^{\infty}} \left(\frac{2\pi i}{2} + \frac{\Delta Y}{2} + \frac{1}{2} - \frac{1}{2} \right) \tag{5}$$

There.

$$\frac{2P+\Delta P}{2}$$
, $\frac{2P-\Delta P}{2}$

P_ = mean ecolout temperature = 3 R T_

Where,

 $T_{\underline{1}}$ and $T_{\underline{2}}$ are mean bulk temperatures at sections 1 and 2 respectively.

L = Langth between two tost sections

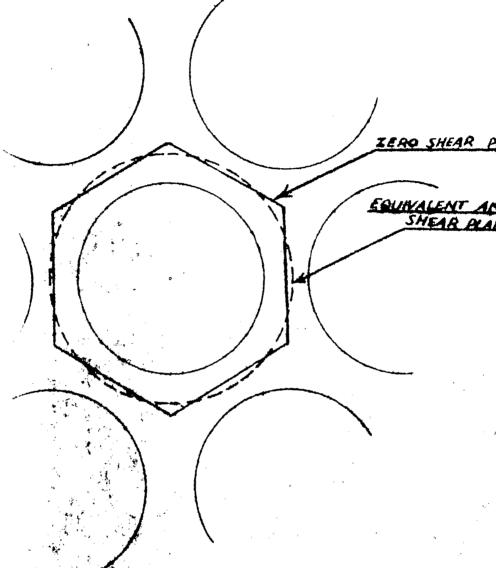
D - Rydraulie equivalent dismeter for the red bundle

y " \$/A by continuity equation where if is the mass flow rate and A is the flow area.

Where R is the gas comptent.

Since $\triangle P \ll P_{R^{\dagger}} P_{1} \cong P_{0}$ and honce the term in (P_{1}/P_{0}) can be neglected in comparison with other terms. I is the only unknown and it can be determined. The results for various Reynelds numbers and different p/d ratios have been tabulated, (Defor Tables IX and X). These results are compared with those of aircular tubes given by Blacius formula as follows:

$$t = 0.0791 / (3a)^{0.25}$$
 (6)



EQUIPMENT ANNULUS MODEL

(DWYER XTU 1960)

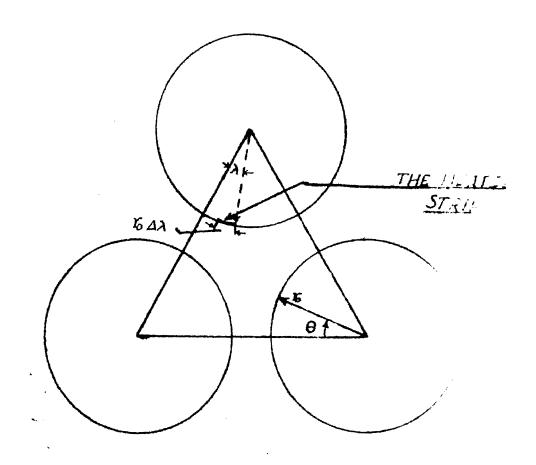


FIG 2. THE COORDINATE SYSTEM

FOR THE PRINCIPAL SOLUTIONS

(SUTHERLAND & KAYS 1966)

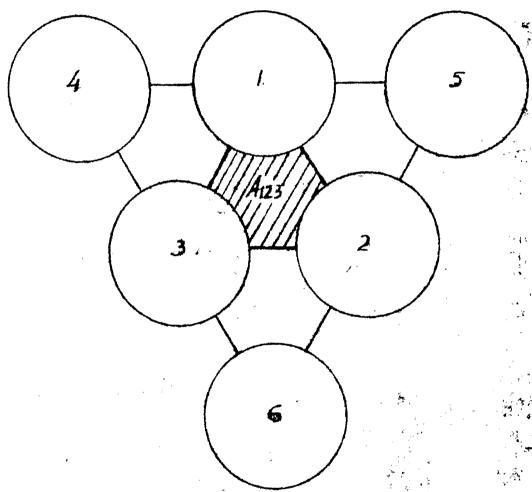
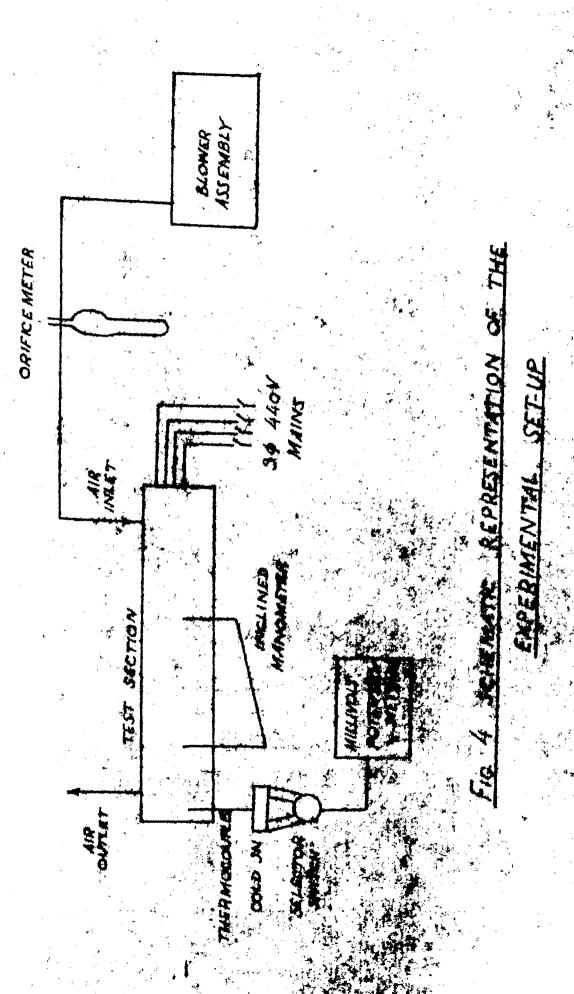


FIG 3 A UNIT FLOW AREA IN AN

INFINITE ARRAY

(SUTHERLAND & KAYS 1966)



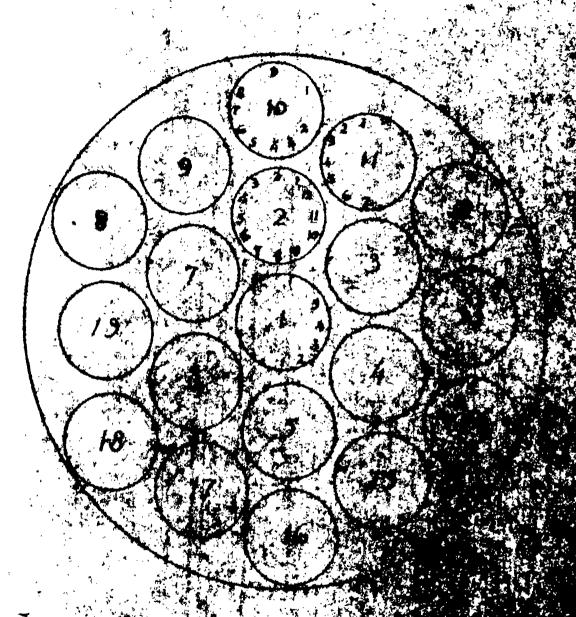


Fig. 5: A Service of the Service of



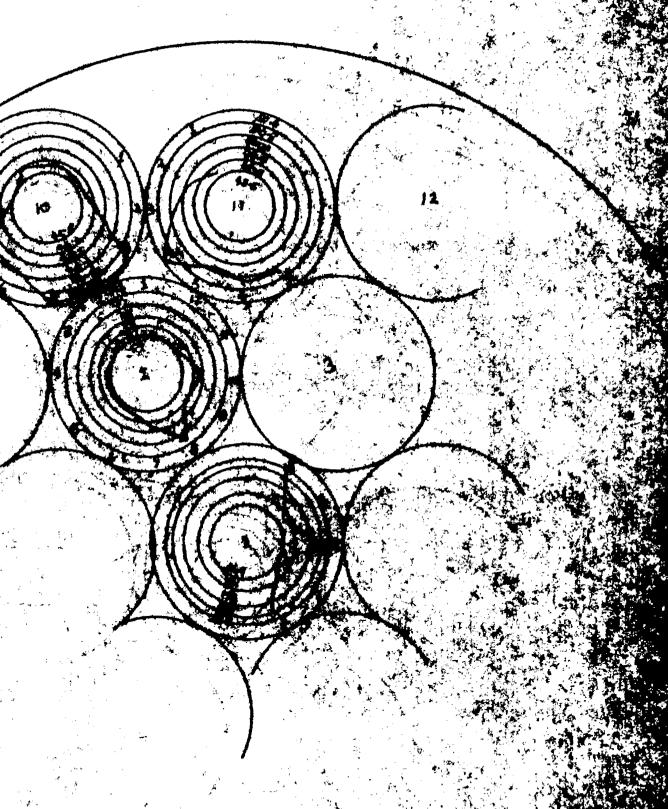
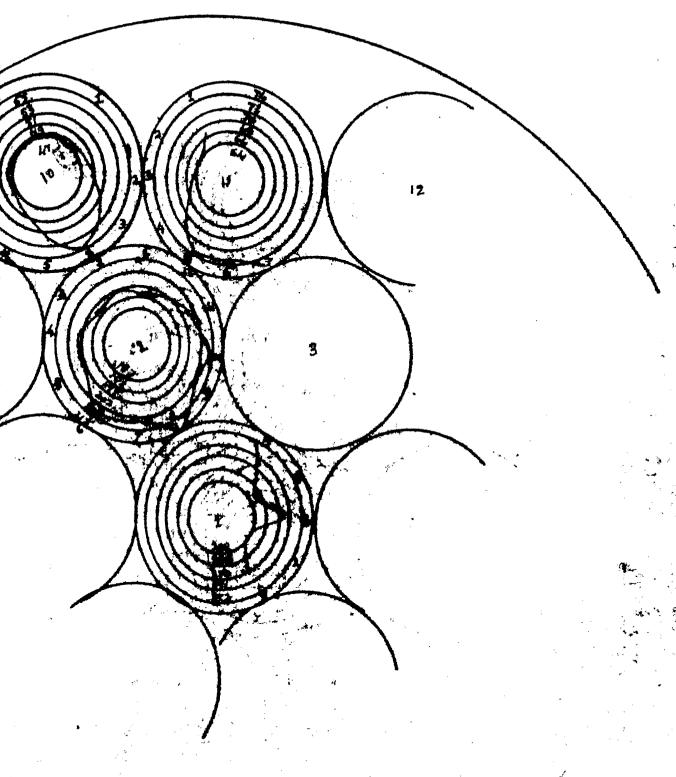
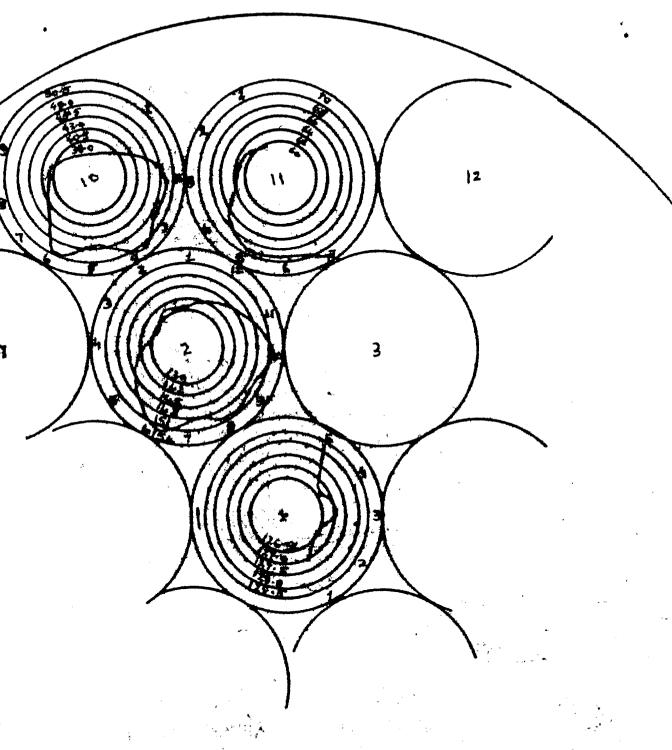


FIG. 7 TEMPHOLITHIC SHIPMENT IN THE PROPERTY OF THE PARTY OF THE PARTY



TEMPERATURE PATENDET DE

473 344



PIG 9 TEMPERATURE DISTRIBUTIONS

PA = 1-1

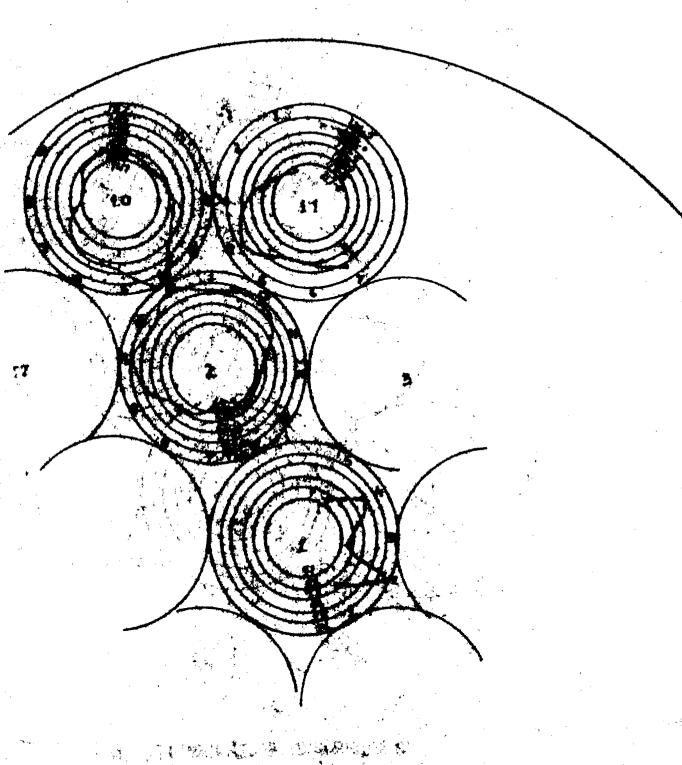
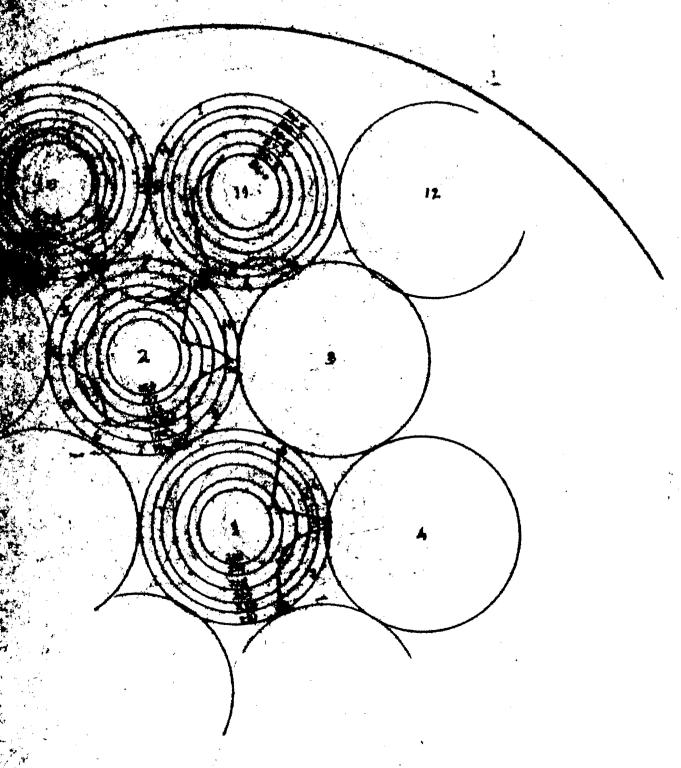


FIG 10 TEMPERATURE DISTRIBUTION
OUTBON ROSE (S. S. III IN TRADUCTED



PAR 1.1 TEMPERATURE DISTRIBUTION

ALL ROBS HERFED (#4 170 # 19)

PAR 1.1 Re # 3180

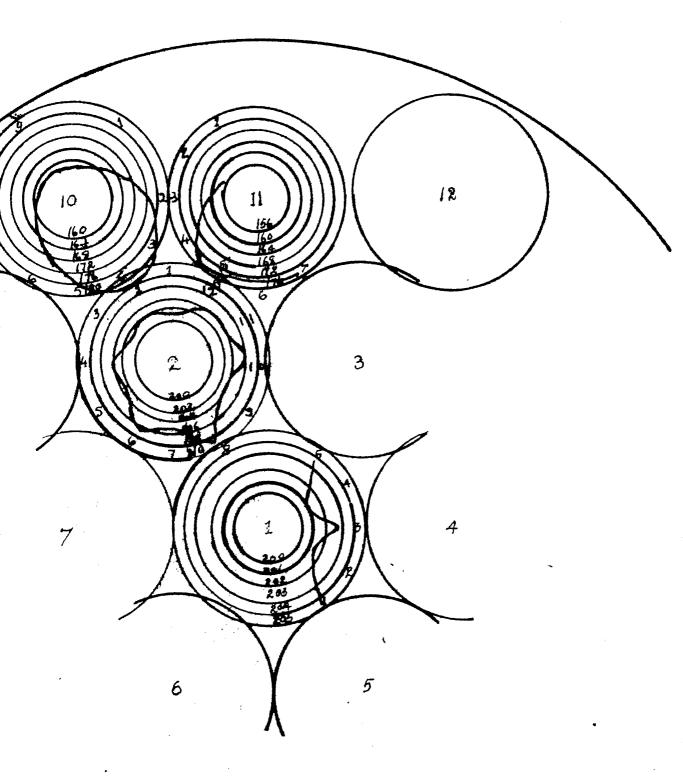


FIG. 12 TEMPERATURE DISTRIBUTION

ALL RODS HEATED (# 1 TO # 19)

P/4 = 1.1

Re = 4,425

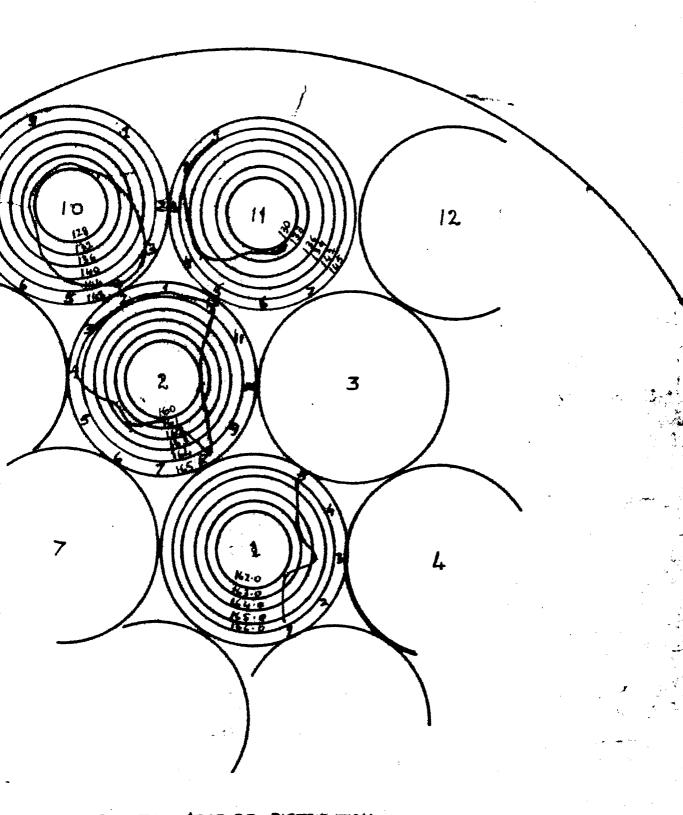
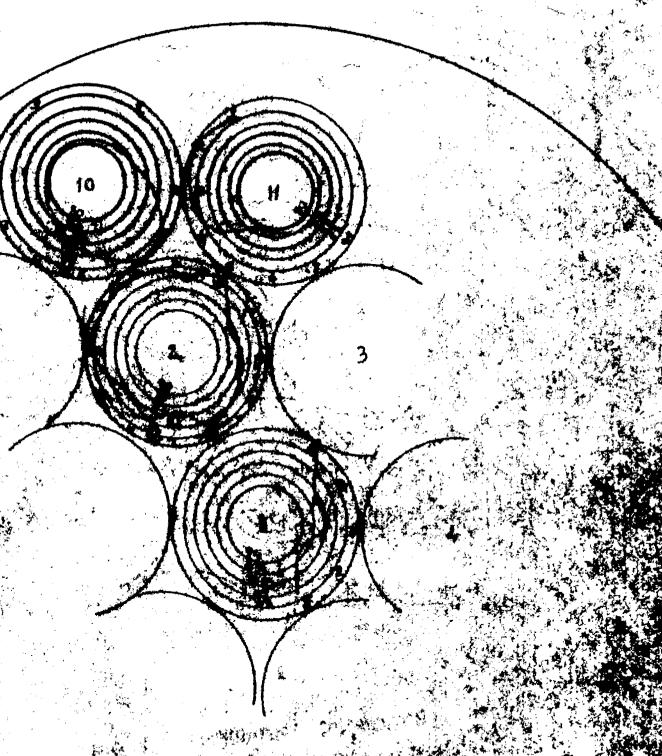


FIG. 13 TEMPERATURE DISTRIBUTION

ALL RODS HEATED (# 1 TO 19)

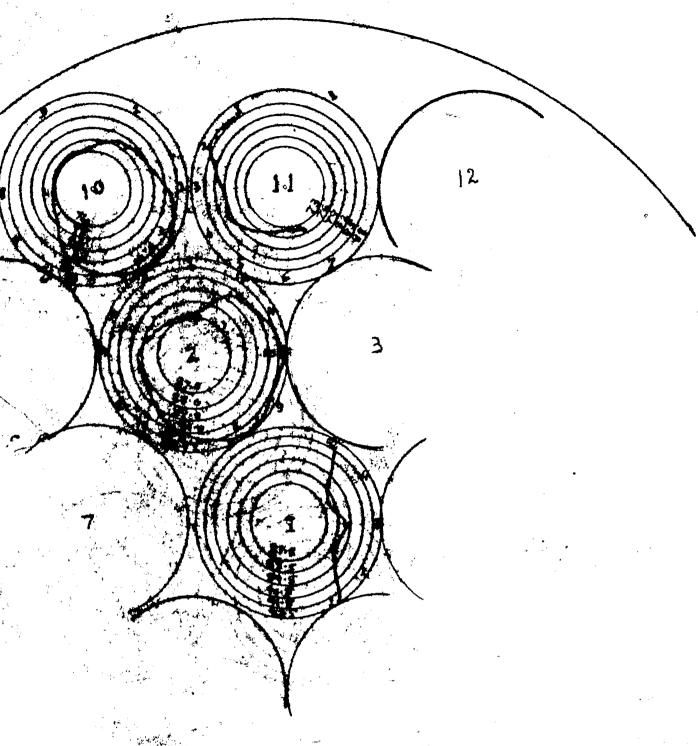
PA = 1.1 Re = 5250



PIG 14 TEMPERATION (PER 10 14)

N.L. GERMA GEATING (PER 10 14)

PLANTA



PIG-15 TEMMERATURE DISTRIBUTION

MLL MODS HEATED (# 1 TO #19)

Re=10,500

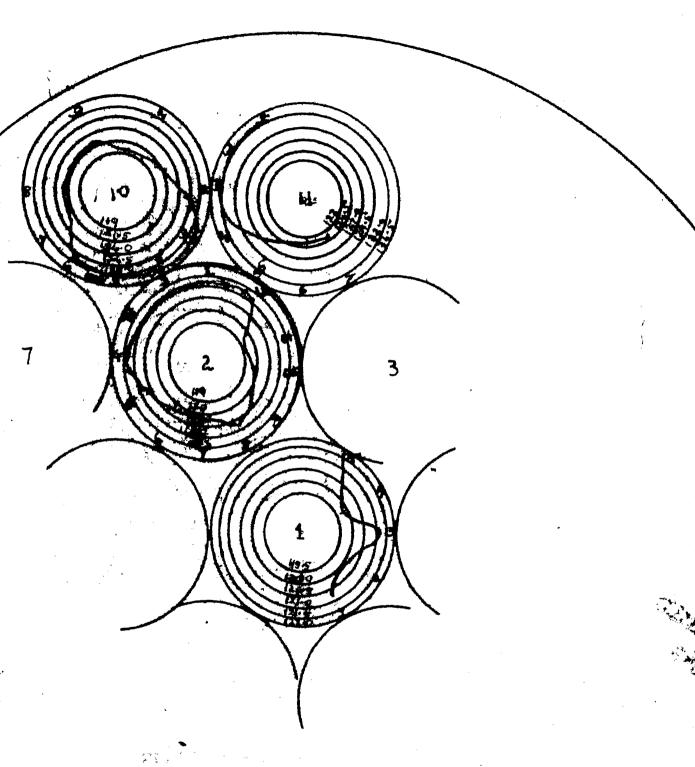


FIG. 16 TEMPRATURE DISTRIBUTION
ALL WODS NEATED
PM = 1.2 Re = 3300

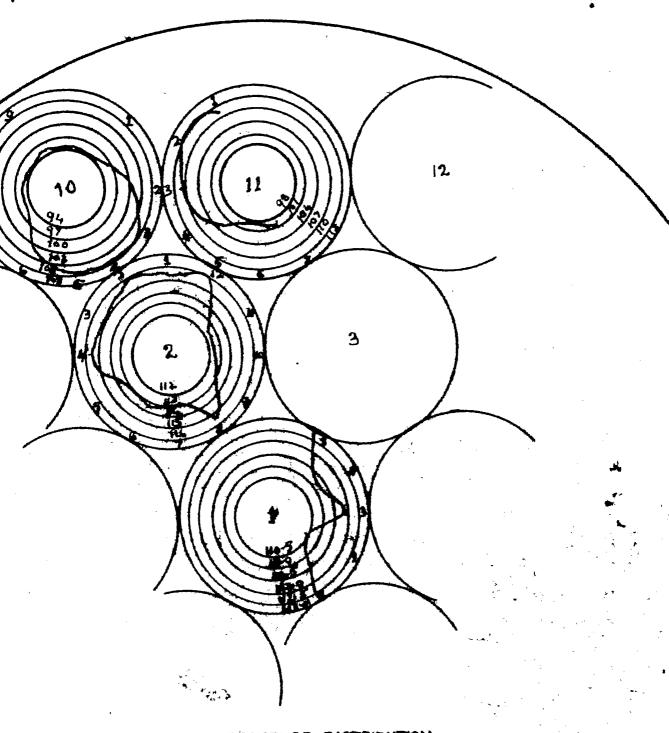


FIG 17 TEMPERATURE DISTRIBUTION

ALL RODS HEATED (#110#19)

12 12 Re = 5850

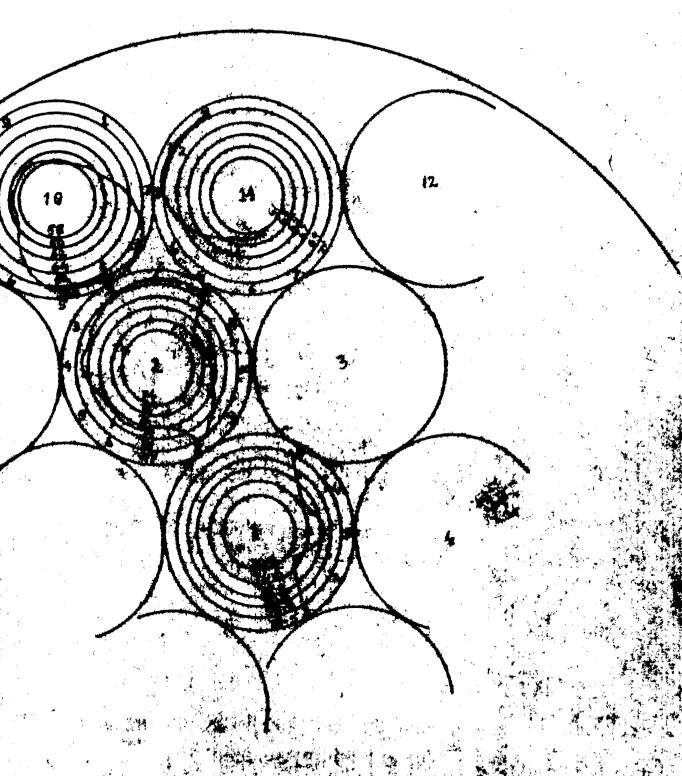


FIG. 18 THE PARTY OF THE PARTY

